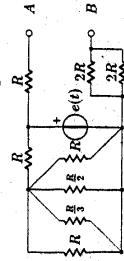
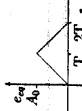


Per il circuito in figura, posto $R = \frac{1}{2}\Omega$, ricavare l'equivalente Thevenin ai morsetti A e B.



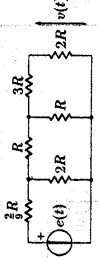
Riposta: $R_{th} = 7\Omega$



$$e(t) = \begin{cases} 0 & t < 0 \\ \frac{2}{T}t & 0 \leq t < T \\ -\frac{2}{T}(t - 2T) & T \leq t < 2T \\ 0 & t \geq 2T \end{cases}$$

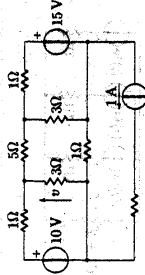
Riposta: $v(t) = \frac{2}{61}e(t) V$

Calcolare $v(t)$, noto $e(t) = E_0 \sin(\omega t + \phi) V$

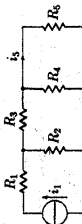


Riposta: $v = \frac{2}{9} V \approx 7.875 V$

Nel circuito rappresentato determinare v .

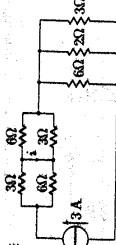


Determinare il valore di i_5 , in funzione dei parametri del circuito. Il risultato dipende da R_1 ?



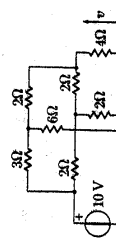
Riposta: $i_5 = \frac{R_2 R_3}{(R_1 + R_2)(R_3 + R_4) + R_4 R_5} i_1$

Determinare la corrente i



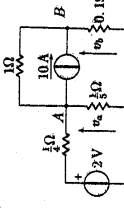
Riposta: $i = 1 A$

Valutare v



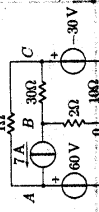
Riposta: $v = 4 V$

Calcolare le tensioni v_a, v_b



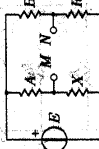
Riposta: $v_a = -0.11 V, v_b = 0.9 V$

Trovare le tensioni ai nodi A, B, C rispetto il nodo di riferimento 0



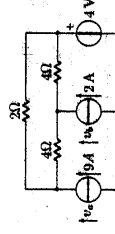
Riposta: $v_A = 60 V, v_B = -10 V, v_C = 50 V$

Determinare il generatore equivalente tipo serie del bipolo M, N in funzione di E, A, R, B, X; la relazione che devono soddisfare A, B, R, X affinché sia $v_{MN} = 0 V$.



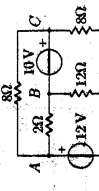
Riposta: $v_{MN} = (\frac{X}{1+X})E, R_{eq} = (A)(X + B)(R), v_{MN} = 0 \Leftrightarrow (AR = BX \text{ V E} = 0)$

Valutare v_a, v_b



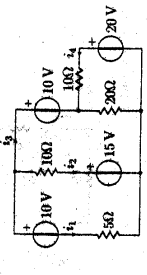
Riposta: $v_a = 20 V, v_b = 16 V$

Calcolare v_A, v_B, v_C



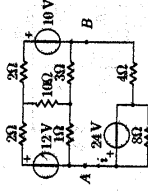
Riposta: $v_A = 12 V, v_B = 6 V, v_C = 16 V$

Valutare i_1, i_2, i_3, i_4



Riposta: $i_1 = \frac{10}{9} A, i_2 = \frac{1}{18} A, i_3 = -\frac{1}{9} A, i_4 = \frac{13}{9} A$

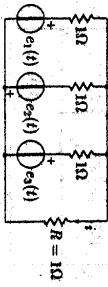
Determinare la corrente i , usando il circuito equivalente serie del bipolo (A, B)



Riposta: $i = \frac{115}{38} A \approx 4.1 A$

ESERCIZIO 2

Calcolare la corrente i e la potenza entrante resistore R



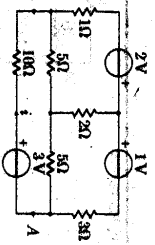
$$e_1 = \cos(\omega t) \text{ V}$$

$$e_2 = 2\cos(\omega t) \text{ V}$$

$$e_3 = \sin(\omega t) \text{ V}$$

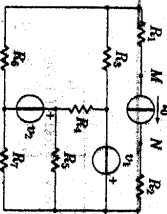
Risposta: $i = \sqrt{2} \sin(\omega t - \frac{\pi}{4}) \text{ A}$, $P_R = \frac{1}{10}(1 - \sin 2\omega t) \text{ W}$

Mediante la rappresentazione Thevenin del bipolo tra (A,B) calcolare la corrente i



Risposta: $i = \frac{16}{15} \text{ A} \approx 0.33 \text{ A}$

Determinare il valore della tensione v_{MN}



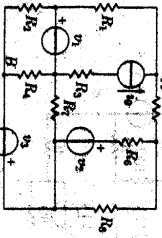
$$R_T = 10 \Omega$$

$$v_0 = 10 \text{ V}$$

$$i_0 = 1 \text{ A}$$

Risposta: $v_{MN} = -6 \text{ V}$

Determinare v_{AB}



$$R_T = 10 \Omega$$

$$v_0 = 10 \text{ V}$$

$$i_0 = 1 \text{ A}$$

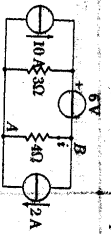
Risposta: $v_{AB} \approx -84.1173 \text{ V}$

Mediante la rappresentazione Thevenin del bipolo ai capi del resistore R calcolare la corrente i_R



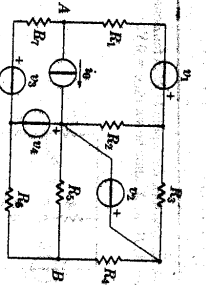
Risposta: $i_R = -\frac{15}{11} \text{ A}$

Calcolare la corrente i servendosi dell'equivalente Norton del bipolo A,B



Risposta: $i \approx 2.6 \text{ A}$

Determinare ϕ_{AB}



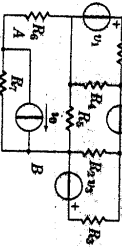
$$R_T = 10 \Omega$$

$$v_0 = 10 \text{ V}$$

$$i_0 = 1 \text{ A}$$

Risposta: $v_{AB} = -\frac{1500}{81} \text{ V} \approx -17.98 \text{ V}$

Determinare v_{AB} con Thevenin e Norton.



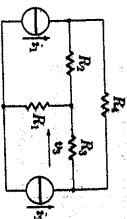
$$R_T = 10 \Omega$$

$$v_0 = 10 \text{ V}$$

$$i_0 = 1 \text{ A}$$

Risposta: $v_{AB} \approx -27.73 \text{ V}$

Calcolare la tensione v_2



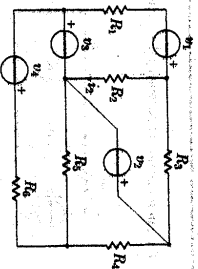
$$R_T = 8 \Omega$$

$$i_1 = 6 \text{ A}$$

$$i_2 = 10 \text{ A}$$

Risposta: $v_2 = -24 \text{ V}$

Determinare il valore della corrente i_2



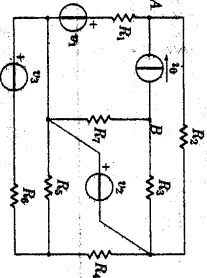
$$R_T = 10 \Omega$$

$$v_0 = 10 \text{ V}$$

$$i_0 = 1 \text{ A}$$

Risposta: $i_2 = \frac{14}{11} \text{ A} \approx 1.27 \text{ A}$

Determinare v_{AB} con Thevenin.



$$R_T = 10 \Omega$$

$$v_0 = 10 \text{ V}$$

$$i_0 = 1 \text{ A}$$

Risposta: $v_{AB} \approx 41.6 \text{ V}$